Evolutionary Game-theoretic Modeling of Past Societies’ Organization Structure
(Extended Abstract)

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ABSTRACT
In this work, we extend a generic agent-based model for simulating ancient societies, by blending, for the first time, evolutionary game theory with multiagent systems’ self-organization. Our approach models the evolution of social behaviours in a population of strategically interacting agents corresponding to households in the early Minoan era. To this end, agents participate in repeated games by means of which they exchange utility (corresponding to resources) with others. The results of the games contribute to both the continuous re-organization of the social structure, and the progressive adoption of the most successful agent strategies. Agent population is not fixed, but fluctuates over time. The particularity of the domain necessitates that agents in our games receive non-static payoffs, in contrast to most games studied in the literature; and that the evolutionary dynamics are formulated via assessing the perceived fitness of the agents, defined in terms of how successful they are in accumulating utility. We present a systematic evaluation of the performance of the various strategies, assuming several variations in the way agent fitness and agent organization fitness are defined, as well as in the way agents adopt new strategies. Overall, our results show that societies of strategic agents that self-organize via adopting the aforementioned evolutionary approach, demonstrate a sustainability that largely matches that of self-organizing societies of more cooperative agents; and that strategic cooperation is in fact, in many instances, an emergent behaviour in this domain. Our approach can provide intuitions to archaeological research, and help resolve open questions regarding the socio-economic dynamics at work in past societies.

CCS Concepts
• Computing methodologies → Multi-agent systems; Modeling and simulation; • Theory of computation → Self-organization; Algorithmic game theory; Multi-agent learning;

Keywords
evolutionary game theory, self-organization, multi-agent systems, agent-based modeling, social archaeology

1. INTRODUCTION
Agent-based models (ABM) are concerned with exploring and understanding the processes that lead to the emergence of order through computational means. Their emerging popularity, particularly in archaeology [6, 9, 8], is due to the ABM’s ability to represent individuals and societies, and to encompass uncertainty inherent in archaeological theories or findings. Indeed, the unpredictability of interaction patterns within a simulated agent society, along with the strong possibility of emergent behaviour, can help archaeology researchers gain new insights into existing theories. At the same time, incorporating ideas from multiagent systems (MAS) research in ABMs can enhance agent sophistication, and contribute on the application of strategic principles for selecting among agent behaviours [14]. To this end, a recently developed ABM with autonomous, utility-based agents explores alternative hypotheses regarding the social organization of ancient societies, by employing MAS ideas and algorithms [3]. The model incorporates different social organization paradigms and subsistence technologies (e.g., types of farming). Moreover, it employs a self-organization approach that allows the exploration of the historical social dynamics—i.e., the evolution of social relationships in a given society, while being grounded on archaeological evidence.

The various social organization paradigms explored in that work, however, assume a cooperative attitude on behalf of the agents. Specifically, agents were assumed to be willing to provide resources out of their stock in order to help agents in need, and such transfers drive the evolution of the social structure. In reality though, people are often driven by more individualistic instincts and exhibit more egotistic societal behaviour. Therefore, if one is to model societal transformation accurately, agent behaviour has to be analysed from a strategic perspective as well. Assuming that agent interactions are based on rational decision-making, and also influenced by their very effect on the society as a whole, then the evolution of the social dynamics can be studied via a game-theoretic approach. The “mathematics” of evolution are the subject of evolutionary game theory (EGT) [7, 13], which takes an interest in the replicator dynamics by which strategies evolve.

In this work, we adopt such an approach for the first time, and provide an alternative “social self-organization” approach to that of [3]: here, social self-organization is driven by the interactions of strategic agents operating within a given social organization group, and the effects these interactions have on agent utility. As such, the evolution of the social hierarchies is driven by the interaction of agent strategies in an evolutionary game-theoretic sense [12, 13]. This allows us to study the evolution and adaptation of strategic behaviours of agents operating in the artificial ancient community, and the effect these have on the society as a whole.

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2. THE ABM

We build on top of the ABM developed in [3] for simulating an artificial ancient society of agents evolving a grid-based environmental topology. The ABM was developed using the NetLogo modeling environment [16]. The agents correspond to households, which are considered to be the main social unit of production in Minoan societies for the period of interest (3,100-1,100 BCE) [15], each containing up to a maximum number of individuals (household inhabitants). Households are utility-based autonomous agents who can settle, or occasionally re-settle in order to improve their utility, and cultivate in a specific environmental location. The total number of agents in the system changes over time, as the annual levels of births and deaths is based on the amount of energy consumed by the household agent during the year. This in turn depends on the energy harvested, that is, the agent’s utility. These rates, produce a population growth rate of 0.1%, when households consume adequate resources. This corresponds to estimated world-wide population growth rates during the Bronze Age [4, 1].

The ABM incorporates a social organization paradigm driven by an (extended) agent self-organization algorithm [10], where agents within a settlement continuously re-assess their relations with others, and this affects the way resources are ultimately distributed among the community members, leading to “social mobility” in their relations. Self-organization gives rise, naturally, to implicit agent hierarchies. Agents are assumed to be helping out agents in need (if they possess enough resources in their own storage), resulting to a continuous targeted redistribution of resources, so that utility flows from the more wealthy agents to those in need within the organization, maintaining a dynamically stratified social structure. Simulation results indicate that a heterarchical social structure [5], having emerged by the continuous re-adaptation of social relations among Minoan households, might well have existed in the area of study.

3. AN EGT EXTENSION

We explore a society’s evolutionary dynamics with respect to various cooperative or not agent behaviours. Thus, we need to introduce the ABM’s main characteristics in terms of (evolutionary) game theory. Agents are considered as “players” in “stage games” that take place every time-step corresponding to one year. At any given time-step, a single player may be interacting at a one-on-one basis with all other agents within the settlement simultaneously. We assume a finite, but not fixed, population size (since new households are created or old ones cease to exist). Intuitively, the games model resource exchanges (utility transfers) among the households. In contrast to most matrix games studied in the literature [11], our agents receive non-static payoffs (depending on their current utility, largely acquired via working the lands). This in effect leads to an alternative model to the classic fitness-based evolution strategy selection: a strategy’s reproductive success depends on dynamic payoffs, and thus agents using the same strategy do not necessarily receive the same payoff when interacting with other agents. We assume three different player strategic behaviours: a cooperative one, C, willing to share resources with another player; a defective one, D, refusing to share resources; and one which starts with cooperation and then behaves as the other player did in the previous game round, namely Tit-for-Tat, TFT [2]. Considering these different strategic agent types as playing games against each other, we explore the evolutionary dynamics which arise. Agents payoff is interpreted as fitness, depending on the relative proportions of the different strategies in the population. Success in game playing improves utility, and is translated into reproductive success; strategic agents that do well over time reproduce more, while the ones that do poorly are outcompeted.

A series of (yearly) time steps during which each agent employs a specific strategy when playing in the stage games, is followed by a strategy review stage during which agents assess and possibly modify their strategies; while the results of each stage game played contribute to the continuous alteration of the social structure, which evolves as in [3], given the evolution of the differences in relative wealth among the agents. Strategy review and adoption is performed in various ways. Specifically, fitness F can be evaluated with respect to solely the reward achieved in the games (F ∼ R), or the overall utility of the strategic agent (F ∼ U), derived from game-playing and land cultivation. The relative success of the agent’s current strategy can be assessed at either the group (settlement) or the societal level, with respect to the average fitness of all strategic agents at that level (S), or the average fitness of the strategy k itself, calculated across agents adopting this particular strategy (S_k); and the adoption of an alternative strategy can be deterministic or stochastic.

4. SIMULATIONS AND RESULTS

We evaluate the impact of the evolutionary self-organization social paradigm to population viability and strategic behaviours that may emerge in the long-term. ABM’s initial settings are the same as in [3] for evaluation purposes. We adopt a uniform distribution of initial strategies, depending on agents numbers within a settlement for every simulation run. Agents review their strategy every 8 or 16 years (T = 8 or T = 16). Simulation results are averages over 30 simulation runs across a period of 2,000 years. We compare the performance (in terms of population growth achieved) of strategic agents that play games and use self-organization, against those that (i) are benevolent and self-organize, as in [3] or (ii) adopt an “independent” social behaviour, trying to maximize their utility without interacting with others.

Overall, scenarios that sustain a higher average population size are those where agent fitness is evaluated wrt. utility, while agents adopt new strategies in a stochastic manner. Moreover, better performance is observed when agent fitness is compared to that of the settlement group, rather than the entire society; and especially when the performance of only the agents in the settlement that adopt the same strategic behaviour is taken into account. Notably, agents in these scenarios adopt the highest rates of cooperative behaviour observed (Table 1), despite this behaviour being in contrast to that expected by the stage game Nash equilibrium.

Table 1: Average cooperative behaviour (including the cooperative behaviour of the TFT agents) rates for all scenarios

<table>
<thead>
<tr>
<th>Cooperation rates (%)</th>
<th>Deterministic</th>
<th>Stochastic</th>
</tr>
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<tbody>
<tr>
<td></td>
<td>Group</td>
<td>Society</td>
</tr>
<tr>
<td>F ∼ U, T = 8</td>
<td>38</td>
<td>37</td>
</tr>
<tr>
<td>F ∼ R, T = 8</td>
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<td>0</td>
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<tr>
<td>F ∼ U, T = 16</td>
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<td>25</td>
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<tr>
<td>F ∼ R, T = 16</td>
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<td>2</td>
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REFERENCES


